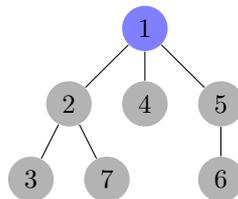


DFS Order 4

Input file: **standard input**
Output file: **standard output**
Time limit: 2 seconds
Memory limit: 1024 megabytes

Little Cyan Fish, also known as Qingyu Xiao, loves the concept of DFS order. Today, he has a rooted tree T with n vertices labeled from 1 to n . The root of the tree is vertex 1, and the parent of vertex i ($2 \leq i \leq n$) is vertex f_i ($1 \leq f_i < i$).

A DFS order $D = (D_1, D_2, \dots, D_n)$ represents the sequence of nodes visited during a depth-first search of the tree. A vertex appearing at the j -th position in this order (where $1 \leq j \leq n$) indicates that it is visited after $j - 1$ other vertices. During the depth-first search, if a vertex has multiple children, they are visited in **ascending order** of their indices. Thus, in this problem, each rooted tree has a **unique** DFS order.



A tree with 7 vertices. The DFS Order of the tree is $[1, 2, 3, 7, 4, 5, 6]$.

The following pseudocode describes a way to generate the DFS order given a rooted tree T . T is uniquely represented by the array $f = \{f_2, \dots, f_n\}$. The function `GENERATE()` returns the DFS order starting at the root vertex 1:

Algorithm 1 An implementation of the depth-first search algorithm

```
1: procedure DFS(vertex  $x$ )
2:   Append  $x$  to the end of dfs_order
3:   for each child  $y$  of  $x$  do                                    ▷ Children are iterated in ascending order of index.
4:     DFS( $y$ )
5:   end for
6: end procedure
7: procedure GENERATE()
8:   Let dfs_order be a global variable
9:   dfs_order  $\leftarrow$  empty list
10:  DFS(1)
11:  return dfs_order
12: end procedure
```

Let D be the array returned by `GENERATE()`. There are $(n - 1)!$ different possible configurations for the array f , each representing a distinct tree T . Little Cyan Fish wonders: for all these $(n - 1)!$ configurations of f , how many distinct DFS orders D can be generated? We consider two DFS orders D and D' to be different if and only if there exists an index $1 \leq i \leq n$ such that $D_i \neq D'_i$. Given that the number can be very large, your task is to compute this number modulo a given prime integer P .

Input

The first line of the input contains two integers n and P ($1 \leq n \leq 800$, $10^8 \leq P \leq 1.01 \times 10^9$).

It is guaranteed that P is a prime number.

Output

Output a single line containing a single integer, indicating the answer.

Examples

standard input	standard output
4 114514199	2
10 998244353	11033
100 1000000007	270904395

Note

In the first example, there are two distinct DFS orders: $D_1 = [1, 2, 3, 4]$ and $D_2 = [1, 2, 4, 3]$, which can be obtained by $T_1 : f_2 = 1, f_3 = 1, f_4 = 1$ and $T_2 : f_2 = 1, f_3 = 1, f_4 = 2$, respectively.

